

# Types of Conditions in Triangulation Networks 

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## CONTENTS

$>$ What is meant by conditions?
$>$ Types of conditions
Different methods to compute internal conditions
Examples

# What is a condition in control survey? 

- A condition means .....
- Please follow the board


## External Conditions

## Scale

The computed length of a side must equal its known length or differ by a value within tolerance.
$>$ Orientation

The computed azimuth of a side must equal its known azimuth or differ by a value within tolerance.
> Position
The computed coordinates of a point must equal its known coordinates or differ by a value within tolerance.

## Internal (Geometric) Conditions

## Local condition

The sum of angles taken at certain station should equal a pre-specified value.

## $>$ Side condition



The length of a side should equal specific value whatever the route used in calculation.
$>$ Angle / Triangle condition

The sum of the internal angles of a polygon should equals $(\mathrm{n}-2) \times 180^{\circ}+\varepsilon$


## (1) By Law

## (1) By Law

$>$ The total number of geometric conditions $C_{T}$ in a figure is:

$$
C_{T}=O_{T}-O_{n e c}
$$

Where:
$O_{T} \quad$................ Total number of observations
$O_{\text {nec. } . . . . . . . . . . . . . . . . ~ N u m b e r ~ o f ~ n e c e s s a r y ~ o b s e r v a t i o n s ~}^{\text {n }}$


## (1) By Law

## (1) Angle Conditions

$>$ The total number of geometric conditions $C_{A}$ in a figure is:

$$
C_{A}=\left(L-L^{\prime}\right)-\left(S-S^{\prime}\right)+1
$$

Where:


## (1) By Law

## (2) Side Conditions

$>$ The total number of side conditions $C_{S}$ in a figure is:

$$
C_{S}=L-2 S+3
$$

Where:
$L$............... Total number of lines.
$S$
Total number of stations.

## (1) By Law

## (3) Local Conditions

$>$ The total number of Local conditions $C_{\text {Local }}$ in a figure is:

$$
C_{\text {Local }}=C_{T}-C_{A}-C_{S}
$$

Where:
$C_{T} \ldots . . . . . . . . . . . . ~ T o t a l ~ n u m b e r ~ o f ~ c o n d i t i o n s . ~$
$C_{A} \ldots \ldots . . . . . . .$. Total number of angle conditions.
$C_{S} \ldots \ldots \ldots . . . . .$. Total number of side conditions.



## (1) By Law - Example

Calculate the number of different types of internal conditions in the following braced quadrilateral.
Known points $=2$ (baseline)
New points = 2 (C, D)
Total number of observation $O_{T}=8$
Number of necessary observations $O_{\text {nec }}=2 \times$ new points $=2 \times 2=4$
Total number of conditions $C_{T}=O_{T}-O_{\text {nec }}=8-4=4$
Number of triangle conditions $C_{A}=\left(L-L^{\prime}\right)-\left(S-S^{\prime}\right)+1$
$=(6-0)-(4-0)+1=3$


Number of side conditions $C_{S}=L-2 S+3=6-8+3=1$
Number of local conditions $C_{\text {Local }}=C_{T}-C_{A}-C_{S}=4-3-1=\mathbf{0}$

## (2) Point By Point

## (2) Point By Point

Calculate the number of different types of internal conditions in the following braced quadrilateral.

| Point | $\mathbf{C}_{\mathrm{A}}$ | $\mathbf{C}_{\mathbf{s}}$ |
| :---: | :---: | :---: |
| A | - | - |
| B | - | - |
| C | $2-1=1$ | $2-2=0$ |
| D | $3-1=2$ | $3-2=1$ |
| Total | 3 | 1 |


(a)

(3) Triangle By Triangle

## (3) Triangle By Triangle

Calculate the number of different types of internal conditions in the following braced quadrilateral.

| Triangle | $\mathbf{C}_{\mathrm{A}}$ | $\mathbf{C}_{\mathbf{s}}$ |
| :---: | :---: | :---: |
| ABC | 1 | 0 |
| ABD | 1 | 0 |
| CD | 1 | 1 |
| Total | 3 | 1 |


(a)



## Numerical Examples

## (1) Calculate the number of different types of geometric conditions in the following figure:

Known points $=2$ (baseline)
New points = 3 (C, D, E)
Total number of observation $O_{T}=12$
Number of necessary observations $O_{n e c}=2 \times$ new points $=2 \times 3=6$
Total number of conditions $C_{T}=O_{T}-O_{n e c}=12-6=6$


Number of triangle conditions $C_{A}=\left(L-L^{\prime}\right)-\left(S-S^{\prime}\right)+1=(10-4)-(5-1)+1=3$
Number of side conditions $C_{S}=L-2 S+3=10-10+3=3$
Number of local conditions $C_{\text {Local }}=C_{T}-C_{A}-C_{S}=6-3-3=0$

## Numerical Examples

(1) Calculate the number of different types of geometric conditions in the following figure:

Point by point

| Point | $\mathbf{C}_{\mathrm{A}}$ | $\mathbf{C}_{\mathbf{s}}$ |
| :---: | :---: | :---: |
| A | - | - |
| B | - | - |
| C | $2-1=1$ | $2-2=0$ |
| D | $3-1=2$ | $3-2=1$ |
| E | 0 | $4-2=2$ |
| Total | $\mathbf{3}$ | $\mathbf{3}$ |



Number of local conditions $C_{\text {Local }}=C_{T}-C_{A}-C_{S}=6-3-3=0$

## Numerical Examples

(1) Calculate the number of different types of geometric conditions in the following figure:

Triangle by triangle

| Triangle | $\mathbf{C}_{\mathrm{A}}$ | $\mathbf{C}_{\mathbf{s}}$ |
| :---: | :---: | :---: |
| ABC | 1 | 0 |
| ACD | 1 | 0 |
| CDE | 0 | 0 |
| BD | 1 | 1 |
| EA | 0 | 1 |
| EB | 0 | 1 |
| Total | 3 | 3 |

Number of local conditions $C_{\text {Local }}=C_{T}-C_{A}-C_{S}=6-3-3=0$

## Numerical Examples

(2) Calculate the number of different types of geometric conditions in the following figure:

Known points $=2$ (baseline)
New points = 3 (C, D, E)
Total number of observation $O_{T}=13$
Number of necessary observations $O_{n e c}=2 \times$ new points $=2 \times 3=6$
Total number of conditions $C_{T}=O_{T}-O_{n e c}=13-6=7$
Number of triangle conditions $C_{A}=\left(L-L^{\prime}\right)-\left(S-S^{\prime}\right)+1=(9-0)-(5-0)+1=5$


Number of side conditions $C_{S}=L-2 S+3=9-10+3=2$
Number of local conditions $C_{\text {Local }}=C_{T}-C_{A}-C_{S}=7-5-2=\mathbf{0}$

## Numerical Examples

(2) Calculate the number of different types of geometric conditions in the following figure:

Point by point

| Point | $\mathbf{C}_{\mathrm{A}}$ | $\mathbf{C}_{\mathbf{s}}$ |
| :---: | :---: | :---: |
| A | - | - |
| B | - | - |
| C | $2-1=1$ | $2-2=0$ |
| D | $2-1=1$ | $2-2=0$ |
| E | $4-1=3$ | $4-2=2$ |
| Total | $\mathbf{5}$ | $\mathbf{2}$ |



Number of local conditions $C_{\text {Local }}=C_{T}-C_{A}-C_{S}=7-5-2=\mathbf{0}$

## Numerical Examples

(2) Calculate the number of different types of geometric conditions in the following figure:

Triangle by triangle

| Triangle | $\mathbf{C}_{\mathrm{A}}$ | $\mathbf{C}_{\mathbf{s}}$ |
| :---: | :---: | :---: |
| ABC | 1 | 0 |
| ABE | 1 | 0 |
| EBD | 1 | 0 |
| EC | 1 | 1 |
| ED | 1 | 1 |
| Total | $\mathbf{5}$ | $\mathbf{2}$ |



Number of local conditions $C_{\text {Local }}=C_{T}-C_{A}-C_{S}=7-5-2=\mathbf{0}$

## Numerical Examples

(3) Calculate the number of different types of geometric conditions in the following figure:

Known points $=2$ (baseline)
New points $=3$ (C, D, M)
Total number of observation $O_{T}=12$
Number of necessary observations $O_{\text {nec }}=2 \times$ new points $=2 \times 3=6$
Total number of conditions $C_{T}=O_{T}-O_{n e c}=12-6=6$


Number of triangle conditions $C_{A}=\left(L-L^{\prime}\right)-\left(S-S^{\prime}\right)+1=(10-4)-(5-1)+1=3$
Number of side conditions $C_{S}=L-2 S+3=10-10+3=3$
Number of local conditions $C_{\text {Local }}=C_{T}-C_{A}-C_{S}=6-3-3=\mathbf{0}$

## Numerical Examples

(3) Calculate the number of different types of geometric conditions in the following figure:

Point by point

| Point | $\mathbf{C}_{\mathrm{A}}$ | $\mathbf{C}_{\mathbf{S}}$ |
| :---: | :---: | :---: |
| A | - | - |
| B | - | - |
| C | $2-1=1$ | $2-2=0$ |
| D | $3-1=2$ | $3-2=1$ |
| M | 0 | $4-2=2$ |
| Total | $\mathbf{3}$ | 3 |



Number of local conditions $C_{\text {Local }}=C_{T}-C_{A}-C_{S}=6-3-3=\mathbf{0}$

## Numerical Examples

(3) Calculate the number of different types of geometric conditions in the following figure:

Triangle by triangle

| Triangle | $\mathbf{C}_{\mathrm{A}}$ | $\mathbf{C}_{\mathbf{S}}$ |
| :---: | :---: | :---: |
| ABC | 1 | 0 |
| ABD | 1 | 0 |
| ABM | 0 | 0 |
| CD | 1 | 1 |
| MD | 0 | 1 |
| MC | 0 | 1 |
| Total | 3 | 3 |



Number of local conditions $C_{\text {Local }}=C_{T}-C_{A}-C_{S}=6-3-3=0$

## Numerical Examples

(4) Calculate the number of different types of geometric conditions in the following figure:

Known points $=2$ (baseline)
New points = 1 (M)
Total number of observation $O_{T}=12$
Number of necessary observations $O_{\text {nec }}=2 \times$ new points $=2 \times 1=2$
Total number of conditions $C_{T}=O_{T}-O_{n e c}=12-2=10$
Number of triangle conditions $C_{A}=\left(L-L^{\prime}\right)-\left(S-S^{\prime}\right)+1=(10-4)-(5-1)+1=3$


Number of side conditions $C_{S}=L-2 S+3=10-10+3=3$
Number of local conditions $C_{\text {Local }}=C_{T}-C_{A}-C_{S}=10-3-3=4$

## Numerical Examples

(4) Calculate the number of different types of geometric conditions in the following figure:

Point by point

| Point | $\mathbf{C}_{\mathrm{A}}$ | $\mathbf{C}_{\mathbf{S}}$ |
| :---: | :---: | :---: |
| A | - | - |
| B | - | - |
| C | $2-1=1$ | $2-2=0$ |
| D | $3-1=2$ | $3-2=1$ |
| M | - | $4-2=2$ |
| Total | $\mathbf{3}$ | 3 |



Number of local conditions $C_{\text {Local }}=C_{T}-C_{A}-C_{S}=10-3-3=4$

## Numerical Examples

(4) Calculate the number of different types of geometric conditions in the following figure:

Triangle by triangle

| Triangle | $\mathbf{C}_{\mathrm{A}}$ | $\mathbf{C}_{\mathbf{s}}$ |
| :---: | :---: | :---: |
| ABC | 1 | 0 |
| ABD | 1 | 0 |
| ABM | 0 | 0 |
| CD | 1 | 1 |
| MD | 0 | 1 |
| MC | 0 | 1 |
| Total | 3 | 3 |



Number of local conditions $C_{\text {Local }}=C_{T}-C_{A}-C_{S}=10-3-3=4$

## End of Presentation



